

# Utterance Verification in Language Learning Applications

Joost van Doremalen, Catia Cucchiarini & Helmer Strik

Department of Linguistics  
Radboud University Nijmegen

September 1, 2009

 | STEVIN

# Outline

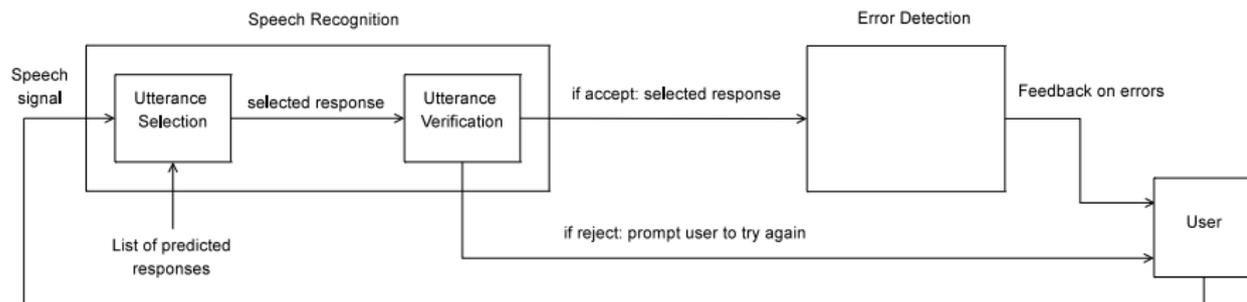
- 1 Context
- 2 Related work
- 3 Method
- 4 Results
- 5 Discussion

## Context: The DISCO project



*ASR-based CALL application for training oral proficiency for Dutch as a second language that provides intelligent feedback on pronunciation, morphology and syntax*

# Context: Experimental System



- **Utterance Selection:** Select response from list of predicted responses
  - *Language Model:* FSM with paths for every response from list
  - *Acoustic Model:* GMMs trained on native read speech and retrained on non-native speech
- **Utterance Verification:** Verify whether selected response reflects what has been said

# Context: Why Utterance Verification?

Reject misrecognized utterances:

- When user response not included in list:
  - Response contains a lot of disfluencies, e.g. *repetitions* and *repairs*
  - Sequence of words was not predicted
- When user response included in list but not selected:
  - Phonetically similar to other response(s)

# Related work on Utterance Verification

- Accept/reject utterance based on *confidence measure*: number indicating the confidence that the utterance is correctly recognized
- Utterances with confidence measure below certain threshold are rejected
- Several approaches for calculating confidence measures:
  - Combining confidence predictors
    - 1 hypothesis density
    - 2 language model related scores
    - 3 duration information
  - Posterior probability estimation

## Related Work: Posterior probability estimation

### Speech decoder

$$\hat{w} = \arg \max_{w \in W} [p(w|o)] \quad (1)$$

$$= \arg \max_{w \in W} \left[ \frac{p(o|w)p(w)}{p(o)} \right] \quad (2)$$

$$= \arg \max_{w \in W} [p(o|w)p(w)] \quad (3)$$

- How to estimate  $p(o)$ ?
  - Likelihood of optimal phone string using free phone recognizer (Young)

## Method: Our approach

- Likelihood ratio of response and optimal phone string ( $LR$ ) as confidence predictor
- Combine using logistic regression:
  - $LR$
  - Duration information
- How to incorporate duration information:
  - Forced alignment of read speech, 5th and 95th percentile for each phone
  - Number of very short ( $nr\_shorter\_5$ ) and long ( $nr\_longer\_95$ ) phones normalized by total number of phonemes

# Method: Experimental Setup I

- **Data:**

- Non-native part of JASMIN corpus
- 45 speakers giving answers to short questions, 1325 responses

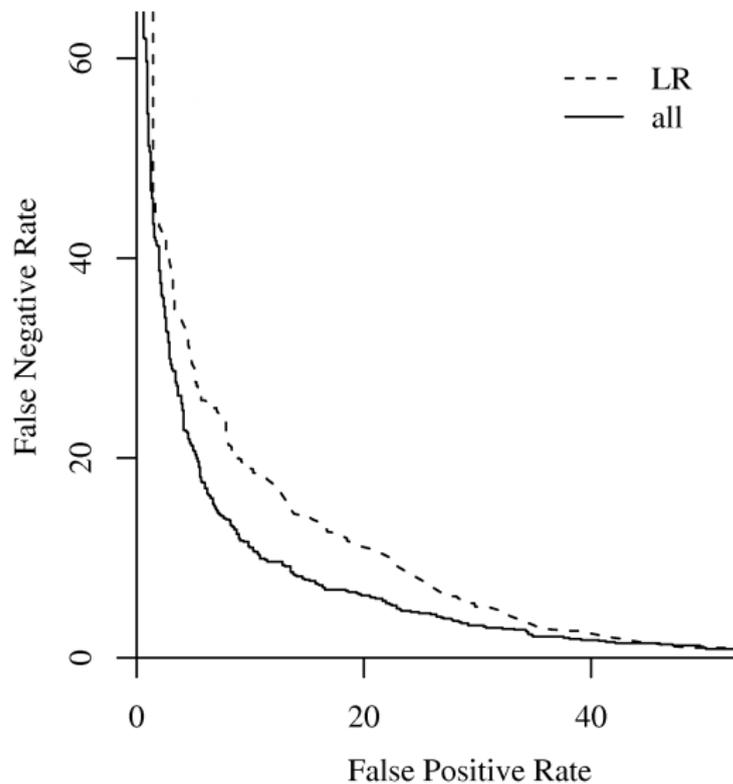
- **Step 1:** Utterance Selection is performed for each response:

- **with response in language model:** FSM language model (LM) is generated based on the  $\approx 45$  responses and task is to select the correct one  $\rightarrow$  succeeds for 90% of utterances
- **without response in language model:** FSM LM is generated based on the ( $\approx 45$  responses - the correct response)

- **Step 2: Utterance Verification**
  - accept 90% correctly recognized in **with response in LM**
  - reject 10% incorrectly recognized in **with response in LM**
  - reject 100% incorrectly recognized in **without response in LM**
- **Evaluation:** Leave-One-Speaker-Out crossvalidation

# Results

Features	EER
<i>LR</i>	14.4%
<i>nr_shorter_5</i>	27.4%
<i>nr_longer_95</i>	35.8%
<i>all</i>	10.3%



- With response in LM:

		actual	
		correct	incorrect
decision	accept	80.8%	3.0%
	reject	9.2%	7.0%
		90.0%	10.0%

- Without response in LM:

		actual	
		correct	incorrect
decision	accept	-	8.3%
	reject	-	91.7%
		-	100.0%

- Other methods to include durations?
  - Mean (absolute) Z-score of utterance
  - Mean probability of duration deviations in utterance
- Threshold calibration:
  - Cost of false accept  $C_{FA}$  → cost for giving feedback on the wrong utterance?
  - Cost of false reject  $C_{FR}$  → cost for unnecessarily asking user to try again?
  - Minimize cost function on development set using different thresholds:

$$C_{total} = p_{FR} \cdot C_{FR} \cdot p_{correct} + p_{FA} \cdot C_{FA} \cdot (1 - p_{correct})$$

# Questions?

Questions?

- Probability of larger deviation from expected duration:

$$1 - P[\mu_D - |d - \mu_D| < D < \mu_D + |d - \mu_D|]$$

$$1 - \sum_{i=\mu_D-|d-\mu_D|}^{\mu_D+|d-\mu_D|} p_D(i)$$

# Language Model Toy Example

